

Advanced Optics (NOOE139)

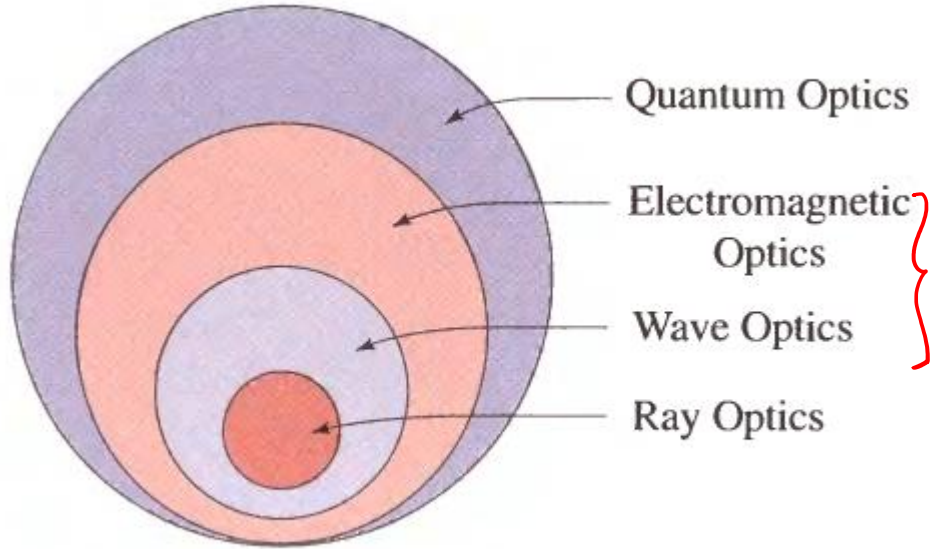
- „advanced“ =
- repeat fundamentals (*Maxwell's eqs*),
 - provide alternative view (*geometric optics, polarization*),
 - wider context (*diffraction, coherence*),
 - and try new stuff (*Fourier optics, Gaussian beams*)

- formalities:
- 3 hours lecture + 2 hours tutorials per week
 - 12x Wednesday + 13x Thursdays (~ 12 full lectures)
 - Oral exam from the lecture's whole scope
 - Tutorial requirement:
 - Score >50% from a written test (before Christmas)

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- B. E. A. Saleh, M.C, Teich: *Fundamentals of Photonics*, John Wiley & sons, inc., New York, 1991.
- E. Hecht: *Optics*, Addison Wesley, 4th edition, San Francisco. 2002.
- M. Born, E. Wolf: *Principles of Optics*, Cambridge University Press, 7th extended edition, Cambridge 2003.
- J. Peatross and M. Ware: *Physics of Light and Optics*, 2015 edition, available at optics.byu.edu/textbook
- F. L. Pedrotti: *Introduction of Optics*, Pearson, Upper Saddle River, N. J., 2007.

Approximations



no single-photon counting, no quantum effects

scalar fields, no E-B coupling, often material described by n

$\lambda \ll$ objects, infinite c , often paraxial approximation (small angles)

Syllabus:

1. Basic equations of electromagnetic theory.

- Electromagnetic origin of light, Maxwell equations, boundary conditions.
- Wave equation, Helmholtz equation. Phase and group velocity of light.
- Energy, intensity, radiation pressure and momentum of electromagnetic wave.

2. Polarization of light.

- Polarization ellipse, linear and circular polarization. Angular momentum of electromagnetic wave.
- Propagation of light in anisotropic media. Polarization devices – polarizers, wave plates, polarization rotators.
- Mathematical description of polarization – Jones vectors and matrices, Stokes parameters, Poincaré sphere.

3. Instrumental optics.

- Geometrical optics, light rays. Optical imaging by reflection and refraction on a spherical interface, mirrors, lenses. Ray transfer matrix analysis. Aberrations (monochromatic and chromatic).
- Fresnel and Fraunhofer diffraction on slit, rectangular and spherical aperture; implications for a construction of optical instruments. Optical diffraction grating.
- Optical imaging instruments (magnifier glasses, microscope, telescope). Spectral instruments - spectrometers (prism and grating) and interferometers.

4. Light waves in absorbing medium.

- Propagation of light in conductive medium, complex index of refraction.
- Reflection and refraction of plane waves on interfaces, Fresnel formulae.
- Kramers-Kronig dispersion relation.

5. Introduction to theory of optical coherence.

- Complex representation of monochromatic and polychromatic waves, Fourier transformation, complex analytical signal. Statistical optics, ergodicity principle.
- Time coherence, correlation function, power spectrum, Wiener-Chinčin theorem. Spatial coherence.
- Interference of partially coherent light, Michelson interferometer, Fourier spectrometers.
- Partial polarization, coherence matrix, degree of polarization.

6. Fourier optics.

- Two-dimensional Fourier transformation, spatial frequencies.
- Optical transfer function of imaging system, impulse response.
- Optical computation of Fourier transform, spatial filtration.

7. Gaussian beams and optical resonators.

- Paraxial Helmholtz equation. Gaussian beam - complex amplitude, intensity, radius, divergence, wavefronts. Transformation of Gaussian beam by optical elements, ABCD law.
- Optical resonators – resonant frequencies, longitudinal and transversal modes. Losses in resonators. Boyd-Kogelnik stability diagram.

Basic equations of electromagnetic theory

(1) $\text{div } \vec{D} = \rho$ charge dens.

$\text{div } \vec{B} = 0$ (2) } div eq

curl \leftrightarrow rot ... $\vec{\nabla} \times$
div ... $\vec{\nabla} \cdot$

(4) $\text{rot } \vec{H} - \frac{\partial \vec{D}}{\partial t} = \vec{j}$ electric current dens.

source eqs.

$\text{rot } \vec{E} + \frac{\partial \vec{B}}{\partial t} = 0$ (3) } coupling

$\vec{\nabla} = \left(\frac{\partial}{\partial x}, \frac{\partial}{\partial y}, \frac{\partial}{\partial z} \right)$

\vec{E} : el. field [Vm⁻¹]

\vec{H} : mg. field [Am⁻¹]

\vec{D} : el. flux density [Cm⁻²] "electric displacement"

\vec{B} : mg. flux dens. [T]

\vec{j} : el. curr. dens. [Am⁻²]

ρ : el. charge dens. [Cm⁻³]

$\vec{D} = \vec{\epsilon} \vec{E}$ permittivity tensor

$\vec{\epsilon} = \epsilon_0 \vec{\epsilon}_r$ $\epsilon = \epsilon_0$

$\begin{pmatrix} \epsilon_{11} & \epsilon_{12} & \dots \\ - & - & \dots \\ - & - & \dots \end{pmatrix}$

$\vec{D} = \epsilon_0 \vec{\epsilon}_r \vec{E} = \epsilon_0 \vec{E} + \vec{P} = \epsilon_0 \vec{E} + \overset{\text{polarization}}{\vec{\chi}} \overset{\text{polarizability}}{\vec{E}}$

\rightarrow isotropic material : $\epsilon_0 \epsilon_r \vec{E} = \epsilon_0 \vec{E} \underbrace{(1 + \chi)}_{\epsilon_r}$